Optimization of Adaptive Enrichment Designs for Two Subpopulations

Comparing Two Treatments vs. Control

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Multi-Arm Adaptive Enrichment Designs

- Suspected treatment effect heterogeneity: e.g. Molecular targets in Cancer
 - Treatment Effect varies across subgroups in population
- Enroll broadly initially, modify in pre-planned manner based on accrued data
 - Pre-specified Subgroups: defined prior to randomization
 - Efficacy/Futility at Interim Analysis: Group Sequential Methods
- Ethical & Efficient: common control; interim stopping
- Potential to reduce time to market, improve patent life
- Not guaranteed to be better than standard design

Optimization of Adaptive Enrichment Designs

- Most prior research on two-arm trials
- Exception: Wason and Jaki (2012)
 - ▶ 6 parameterized designs, 3 treatment scenarios; Binding futility
- Our Software: Generalized Optimizer for Enrichment Designs
 - Two treatments vs. Control
 - Familywise Type I Error Rate Control by design; Non-binding futility stopping
 - Compare performance across user-specified treatment scenarios
 - Continuous, Binary, and Survival Outcomes
- Application to Cardiac Resynchronization Therapy trials

Design Optimizer Workflow

- User Interface via Web
 - Optimization goal, clinically meaningful treatment effect (MCID), Subpopulation sizes, accrual rate, delay, power type
 - ► Each Scenario: outcome parameters, power constraints, weight
- Design modules translate user input into design parameters
 - Designs that strongly control FWER Step-Down Dunnett: α-allocation, stages, futility boundaries, interim timing
 - Wrapper maps design parameters to performance
- Optimizer searches design space subject to user constraints
 - Modular: can optimize any design module + wrapper
- Re-evaluate performance upon convergence
- ► Reproducible report: design parameters & performance

Example Design Module: Step-Down Dunnett

- At each interim stage in each subpopulation:
 - Test non-stopped treatments for efficacy, then futility
 - If arm is stopped, patients simply are not enrolled.
 - Continue enrollment if at least one treatment remains
- Efficacy boundaries are similar to Spiessens and Debois (2010).
- Futility stopping is non-binding (Liu and Anderson 2008)
- Efficiency: leveraging covariance due to common control

Design Optimization

- Single Parameter Design: Binary Search
 - \blacktriangleright One stage, equal α allocation: Feasible sample size
- Simulated Annealing (SA) Multiparameter Designs
 - ▶ 5000-7500 iterations: dimensionality
 - ▶ 10,000 simulations for design characteristics per iteration
- Starting Value of SA
 - $\blacktriangleright~$ 130% of Feasible One-Stage Equal- α Sample Size
 - Equal α-allocation
 - Futility Boundaries: Z = -4
 - Interim Analysis at 50% of Maximum Sample Size
- Distributed across 10 computing nodes; Seeded for replicability

Designs Implemented:

- Single Stage Equal α design: Sample size
- Single Stage Optimal α design:
 - 3 Parameters: Sample size, α -allocation (2)
- Two Stage Equal α design
 - ▶ 5 Parameters: Sample Size, Futility boundaries (4)
 - Interim Analysis at 50% Information Time
- \blacktriangleright Two Stage Optimal α
 - 10 Parameters: Sample Size, Futility boundaries (4), α-allocation (4), interim analysis time

Application | SMART-AV Trial: Cardiac Resynchronization Therapy

SMART-AV Trial - Rationale (Stein et al. 2010)

- Cardiac Resynchronization Therapy + Defibrillator (CRT-D): Patients with medically-refractive heart failure (HF) with severe left ventricular systolic dysfunction (LVESD).
- Timing of atrioventricular (AV) delay may improve disease progression, survival, hospitalization risk, HF symptoms, quality of life
- SMART-AV: Multi-center RCT Evaluating:
 - Doppler Echo-guided optimization (DEO)
 - SmartDelay algorithmic optimization (SDO)
 - Fixed Delay No optimization (Control, Standard of Care)
- Suspect treatment effect heterogeneity based on disease severity
- Short QRS (≤ 150 ms healthier, greater chance to benefit) vs. Long QRS (>150 ms - More severe HF)

SMART-AV Trial - Design: (Stein et al. 2010)

- Objective: Evaluate within-subject 6 month change in LVESV
- Minimum Clinically Important Difference: 15 mL decrease in Left Ventricular End Systolic Volume (LVESV)
- Power Calculation based on two-sample t-test between optimized and fixed delay groups: σ = 60 mL: N=759
 - Assumed no difference between DEO & SDO
 - 'Internal pilot' with blinded sample size reassessment at N=75 assess variability in outcome; No interim efficacy analysis.
- Primary Analysis: ANCOVA: change in LVESV adjusted for baseline LVESV.
 - Superiority: SDO vs. Fixed; DEO vs. Fixed;
 - If SDO is superior to Fixed, assess non-inferiority of SDO to DEO;
 - If SDO is non-inferior to DEO, assess superiority of SDO to DEO

Adaptive Enrichment Design

- 2 Treatments (Optimization by Doppler Echo or SmartDelay) vs. Control (No optimization):
- \blacktriangleright 2 subpopulations: Short QRS (\leq 150 ms) vs. Long QRS (>150 ms)
- Up to 2 Stages: Interim & Final Analysis
- ▶ For each treatment *t* and subpopulation *s*,
 - δ_{st} denotes effect of treatment *a* in subpopulation *s*
 - ► H_{st} : $\delta_{st} \leq 0$ for each $s \in \{1, 2\}, t \in \{A, B\}$ with strong control of FWER
 - Power \geq 100(1- β)% to reject H_{sa} when $\delta_{st} \geq \delta_{min}$
 - Enrollment modification rule: if f_{st} < Z_{st} < e_{st} at the end of stage 1, continue accrual in stage 2 for arm a and control in subpopulation s; Otherwise stop for efficacy/futility; Non-binding stopping for futility
- Minimize expected sample size under power constraints and compare operating characteristics of designs

SMART-AV Trial: (Stein et al. 2010)

- ► Short QRS: S₁ (49%); Long QRS: S₂ (51%);
- Primary: 6 Month LVESV Change (mL) Continuous
- Secondary: NYHA Functional Class Improvement Binary
- Delay = 6 months; Accrue 20 patients/month
- Fixed sample size vs. Two stage; Equal α allocation vs. optimized allocation;
- Size = 0.05; Power=0.8 All Non-Null

Simulation Scenarios

Scenario	δ_{1A}	δ_{1B}	δ_{2A}	δ_{2B}
1. Neither treatment effective - Global Null	0	0	0	0
2. A effective in s_1	δ_{min}	0	0	0
3. A, B effective in s_1	δ_{min}	δ_{min}	0	0
4. A effective in s_1, s_2	δ_{min}	0	δ_{min}	0
5. A effective in s_1, s_2 ; B effective in s_1	δ_{min}	δ_{min}	δ_{min}	0
6. A, B effective in s_1, s_2	δ_{min}	δ_{min}	δ_{min}	δ_{min}

• Asymmetric - A or B effective in s_2 if effective in s_1

Continuous Outcome - LVESV

Means

Scenario	Weight	C1	C2	A1	A2	B1	B2
1	0.167	0	0	0	0	0	0
2	0.167	0	0	15	0	0	0
3	0.167	0	0	15	15	0	0
4	0.167	0	0	15	0	15	0
5	0.167	0	0	15	15	15	0
6	0.167	0	0	15	15	15	15

SDs

Scenario	Weight	C1	C2	A1	A2	B1	B2
1	0.167	60	60	60	60	60	60
2	0.167	60	60	60	60	60	60
3	0.167	60	60	60	60	60	60
4	0.167	60	60	60	60	60	60
5	0 167	60	60	60	60	60	60

- One Stage Equal α : N=1827
- One Stage Optimal α: N=1782
 - α₁₍₁₎= 0.55; α₂₍₁₎= 0.45;
- Two Stage Equal α:
 - ESS=1716.7; MSS=1953
 - f_{1A} = -6.8; f_{1B} = -2.13; f_{2A} = 0.95; f_{2B} = 0.07;
- Two Stage Optimal α:
 - ESS=1648.6; MSS=1818; Interim: 0.22%
 - $\alpha_{1(1)} = 0.09$; $\alpha_{1(2)} = 0.47$; $\alpha_{2(1)} = 0.05$; $\alpha_{2(2)} = 0.4$;
 - $e_{1(1)} = 2.85$; $e_{1(2)} = 2.22$; $e_{2(1)} = 3.02$; $e_{2(2)} = 2.29$;
 - $f_{1A} = -3.06$; $f_{1B} = -5.56$; $f_{2A} = -0.15$; $f_{2B} = -0.15$;





Binary Outcome - NYHA Class Improvement

Scenario	Weight	C1	C2	A1	A2	B1	B2
1	0.167	0.7	0.7	0.7	0.7	0.7	0.7
2	0.167	0.7	0.7	0.8	0.7	0.7	0.7
3	0.167	0.7	0.7	0.8	0.8	0.7	0.7
4	0.167	0.7	0.7	0.8	0.7	0.8	0.7
5	0.167	0.7	0.7	0.8	0.8	0.8	0.7
6	0.167	0.7	0.7	0.8	0.8	0.8	0.8

Results - Binary Outcome

- One Stage Equal α : N=2115
- One Stage Optimal α : N=2052

- Two Stage Equal α:
 - ESS=2010.7; MSS=2241
 - $f_{1A} = -6$; $f_{1B} = -2.86$; $f_{2A} = 0.5$; $f_{2B} = -0.62$;
- Two Stage Optimal α:
 - ESS=1975.4; MSS=2412; Interim: 0.25%
 - $\alpha_{1(1)} = 0.26$; $\alpha_{1(2)} = 0.24$; $\alpha_{2(1)} = 0.26$; $\alpha_{2(2)} = 0.25$;
 - $e_{1(1)} = 2.47$; $e_{1(2)} = 2.45$; $e_{2(1)} = 2.46$; $e_{2(2)} = 2.43$;
 - $f_{1A} = -1.11$; $f_{1B} = -7.12$; $f_{2A} = 0.31$; $f_{2B} = 0.38$;

Results - Binary Outcome





Future Directions

- Implementing additional designs
- Improved optimization techniques; Optimizing SA

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Optimization via Simulated Annealing

- Optimizer searches for optimal design over large parameter space: sample size, α-allocation, time of interim analysis, futility boundaries
- Doesn't require differentiable objective function
- $Y^{(n)}$ Objective Function at iteration n
- Current parameters $X^{(n)}$ and 'Temperature' $t^{(n)}$
 - Generate new candidate design: $X^{(n+1)} \sim N\left(X^{(n)}, \left(t^{(n)}/t^{(0)}\right)^2\right)$
 - Compare to current design: Accept if $U(0,1) < e^{(frac Y^{(n+1)} Y^{(n)}t^{(n)})}$
 - 'Cool' system after a fixed number of candidates
- ► As system 'cools' search is more local and conservative

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